# Wind Tunnel Test of Gurney Flaps and T-Strips on an NACA 23012 Wing

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A wind tunnel test was carried out on an aspect ratio 6 wing equipped with Gurney flaps and trailing edge T-strips. The test was conducted at the University of Washington Aeronautical Laboratory's 8 x 12 foot low-speed wind tunnel at Reynolds numbers of 1.95x10<sup>6</sup>, 1.02x10<sup>6</sup> and 0.51x10<sup>6</sup>. The NACA 23012 test wing was unswept and untwisted with a 90 inch span and a constant chord of 15 inches. Gurney flap heights of 0.21%, 0.52%, 1.04%, 1.46%, 2.08%, 3.33%, 4.00% & 5.00% chord were tested on the model. T-strip heights of 0.42%, 1.04%, 1.67%, 2.08%, 2.92%, 4.17% & 5.00% chord were also tested. Results showed that Gurney flaps produced a positive increment in lift coefficient, a negative shift in the zero-lift angle of attack, and an increase in the wing maximum lift coefficient. Tstrips produced an increase in the slope of the lift curve and an increase in maximum lift coefficient, but produced no shift in the wing zero-lift angle of attack. Gurney flaps produced a negative (nose-down) shift in the pitching moment curve and a rearward shift in the wing aerodynamic center. T-strips also produced a rearward shift in the wing aerodynamic center, but produced no increment in the pitching moment coefficient near zero lift. Both devices produced a drag increment that was non-linear with device height, larger Gurney flaps and T-strips producing a disproportionately larger drag increment.

### **Nomenclature**

 $C_L$  = coefficient of lift

 $C_{Lmax}$  = maximum lift coefficient

 $C_{Lo}$  = lift coefficient at zero angle of attack

 $C_{L\alpha}$  = lift curve slope, /deg  $C_D$  = coefficient of drag

 $C_{Do}$  = coefficient of drag at zero lift coefficient

 $C_M$  = pitching moment coefficient

 $C_{Mo}$  = pitching moment coefficient at zero lift coefficient

e = Oswald's Efficiency Factor Re = Reynolds Number based on chord

 $x/c_{ac}$  = aerodynamic center location in percent wing chord

 $x/c_{ref}$  = moment reference center location in percent wing chord (25% chord for this test)

 $\alpha_{OL}$  = zero-lift angle of attack, deg  $\Delta$  = increment in a given coefficient

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#### I. Introduction

As part of a study into the use of micro trailing edge devices in aircraft preliminary design, a wind tunnel test was carried out on an aspect ratio 6 wing equipped with Gurney flaps and trailing edge T-strips. A Gurney flap is simply a flat plate attached perpendicularly to the lower (pressure) surface of an airfoil or wing trailing edge. A T-strip is attached to both the upper and lower surfaces. Gurney flaps and T-strips are used to modify the lifting characteristics of the baseline airfoil or wing. The simplicity of these micro trailing edge devices is illustrated below in Figure 1.

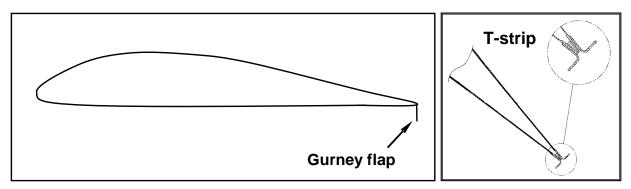


Figure 1. Gurney Flap and Trailing Edge T-Strip Detail

Gurney flaps are used to produce a lift increment ( $\Delta C_L$ ) and to increase the maximum lift coefficient of two-dimensional airfoils and three-dimensional wings. Typical applications studied have been on the downforce wings of racing automobiles<sup>1</sup>, in the cove of multi-element airfoils<sup>2</sup> and on wind turbine blades<sup>3</sup>. In more recent studies, articulated Gurney flap-like devices have been used to tailor the spanwise loading of wings<sup>4</sup> and rotor blades<sup>5</sup>.

Trailing edge T-strips have been used to improve the performance of aircraft vertical tails. An example is the use of T-strips on the vertical tail/rudder of the Sino Swearingen SJ30-2 business jet to increase dutch roll damping<sup>6</sup>. Flight tests showed that a 1% chord T-strip on the lower third of the rudder increased dutch roll damping for the flaps up, 180 KIAS flight condition from essentially zero to 0.12, more than double the FAR 23 minimum.

A number of references exist reporting the results of wind tunnel tests of two-dimensional airfoils<sup>7,8</sup> and three-dimensional wings<sup>9,10</sup> equipped with Gurney flaps. Drawing general conclusions on the effects of Gurney flaps is difficult because each of these tests was conducted on a model with a different airfoil section and different size Gurney flaps, and each test was run at a different Reynolds number. What is required is a more comprehensive test for a full range of Gurney flap heights at several different Reynolds numbers. The test described in this paper was for flap heights ranging from as small as 0.21% chord up to 5.0% chord, with the smaller Gurney flaps (0.21%, 0.52%, 1.04% & 1.46% chord) being tested at Reynolds numbers of 0.51x10<sup>6</sup>, 1.02x10<sup>6</sup> and 1.95x10<sup>6</sup>. The trends seen in this test were similar to that found in previous Gurney flap wind tunnel tests. The contribution here is a more complete data set collected for a range of Gurney flap heights for Reynolds numbers from as low as 0.51x10<sup>6</sup> on up to 1.95x10<sup>6</sup>.

Despite being used on a number of aircraft vertical tails  $^{6,11}$ , very little wind tunnel test data exists in the literature on the effect of trailing edge T-strips. The only wind tunnel test data found was from Roesch & Vuillet  $^{12}$ . This data was for an NACA 5414 wing with a 5% chord T-strip tested at a Reynolds number of  $0.75 \times 10^6$ . A 5% chord T-strip would be too large for use on the vertical tail of an aircraft due to its high drag. This paper presents results for T-strips ranging from 0.42% up to 5.0% chord, with the smaller flaps (0.42%, 1.04% & 1.67% chord) being tested at Reynolds numbers of  $0.51 \times 10^6$ ,  $1.02 \times 10^6$  and  $1.95 \times 10^6$ .

# **II. Experimental Setup**

The test was conducted at the University of Washington Aeronautical Laboratory's (UWAL) Kirsten Wind Tunnel<sup>13</sup> located in Seattle, Washington. The Kirsten Wind Tunnel is a closed circuit, double return type tunnel with an 8 x 12 foot rectangular test section vented to the atmosphere. Model force and moment data is measured by an external balance located beneath the floor of the test section. For this test, the model wing was mounted atop the external balance using a yaw fork. The two forward arms of the yaw fork were attached to the model wing at the quarter chord location. This 25% chord location was also the model moment reference center. A single pitch arm,

attached to the rear of the model, was used to adjust angle of attack. Model angle of attack was referenced to the airfoil chordline. The test wing is shown in Figure 2 mounted atop the external balance.

The baseline model was an unswept, untwisted, aspect ratio 6 wing built by Aeronautical Testing Service, Inc. Total span was 90 inches with a constant 15 inch chord. The airfoil section was an NACA 23012. The model center section was machined from aluminum and spanned 86.4 inches. High density polyurethane foam wingtips of 1.8 inch span each were attached to the ends of the wing. The NACA 23012 airfoil shape was machined into the first inch of each wingtip. The outboard 0.8 inches closed out the wingtip with a half circular shape. The wingtip detail is shown in Figure 3. The Figure also shows a 5% chord Gurney flap attached to the model wing trailing edge. Model dimensional tolerances were quoted at  $\pm 0.005$  inch.

Gurney flap heights of 0.21%, 0.52%, 1.04%, 1.46%, 2.08%, 3.33%, 4.00% & 5.00% chord were tested on the model wing. Metal angles of standard sizes were mounted to the lower surface trailing edge of the wing to simulate Gurney flaps. The mounted angles spanned the 86.4 inch center section of the wing. They did not extend to the wing tips. The percentage of wing span covered by the angles (Gurney flaps) was 96%. The angles were attached to the underside of the wing using double-sided tape. The thickness of the double-sided tape was measured to be approximately 0.003 inches. However, the double-sided tape was soft and appeared to lose thickness when compressed. Aluminum tape was used as an additional means of securing the angles to the wing. The Gurney flap heights quoted above are the height of the angle alone. The thickness of the wing trailing edge (0.050") and the height of the double-sided tape were not included. The aluminum tape did not change the height of the Gurney flap.

Trailing edge T-strip heights of 0.42%, 1.04%, 1.67%, 2.08%, 2.92%, 4.17% & 5.00% chord were also tested on the model. The same metal angles were mounted to the wing upper and lower surface trailing edges to simulate T-strips. The T-strip angles spanned the 86.4 inch center section of the model and did not extend into the wingtips. Double-sided tape was used to attach the angles to the wing trailing edge. Aluminum tape was used as an additional means of securing the angles. The T-strip heights quoted above are based on the height of the upper and lower angles alone. The model wing's 0.050" trailing edge thickness and the height of the double-sided tape were not included. There was also a small loss in T-strip height because the wing upper and lower surfaces are not parallel at the trailing edge. The NACA 23012 trailing edge closure angle is approximately 15.5°. This trailing edge angle caused the upper and lower angles to tilt aft, causing a small loss in total T-strip height. This lost height was also not included in the T-strip chords (heights) reported above.

A single row of trip dots (0.0114" height, 0.150" spacing, 0.075" diameter) were applied along the wing 10% chordline on the upper and lower surfaces to fix the position of boundary layer transition from laminar to turbulent flow. The test was conducted at nominal dynamic pressures of 75, 20 & 5 lbs/ft $^2$ ; corresponding to Reynolds numbers based on wing chord of  $1.95 \times 10^6$ ,  $1.02 \times 10^6$  and  $0.51 \times 10^6$ , respectively. Trip sizing studies showed that boundary layer transition was likely forward of the trip for the 75 and 20 lbs/ft $^2$  runs. However, the trip was too small and too far forward to fix the position of boundary layer transition for the 5 lbs/ft $^2$  runs.



Figure 2. Wing Mounted in Test Section



Figure 3. Wing Tip Detail

## III. Experimental Results

Force and moment data was collected for the baseline wing, the baseline wing equipped with Gurney flaps and the baseline wing equipped with trailing edge T-strips. Each configuration was run at Reynolds numbers of  $1.95 \times 10^6$ ,  $1.02 \times 10^6$  and  $0.51 \times 10^6$ . The data presented in this paper has been corrected for weight tares, for the tare & interference of the mounting fork, for flow angularity in the test section, for blockage and for the effect of the tunnel walls on the model's aerodynamic characteristics.

The weight tare was applied to account for the offset of the model wing's center of gravity from the balance moment center. That weight tare was taken with the wind-off during Run 1. A UWAL provided tare was applied to lift, drag and pitching moment to account for the presence of the mounting fork on the data. That generic fork tare was based on a UWAL model inversion test of a similar sized rectangular wing with an NACA 0015 airfoil section. The blockage correction was made to dynamic pressure using Shindo's Simplified Tunnel Correction Method<sup>14</sup> to account for the increased velocity in the test section due to the presence of the model. A small correction to the drag coefficient was made to account for the rotation of the lift vector due to the -0.12° of upflow in the test section. Wall corrections were applied to angle of attack and drag coefficient to account for the proximity of the tunnel walls to the model. The constraint of the flow field due to the tunnel walls makes the model wing appear to have a higher aspect ratio, and thus too little induced angle of attack and too little induced drag. Nominal turbulence intensity in the test section is quoted in the tunnel Technical Guide<sup>13</sup> as 0.72%.

### A. Effect of Gurney Flaps and T-Strips on Baseline Wing Lift Curve

The effect of Gurney flaps on the baseline wing lift curve is shown below in Figure 4. Figure 5 shows the effect due to trailing edge T-strips. The coefficient data presented in Figures 4 and 5 was taken at a Reynolds number of  $1.95 \times 10^6$ . The coefficient data shows that Gurney flaps produced a positive increment in lift coefficient, a negative shift in the zero-lift angle of attack, and an increase in the wing maximum lift coefficient. Larger Gurney flaps produced larger lift increments. T-strips produced an increase in the slope of the lift curve and an increase in maximum lift coefficient. However, T-strips produced no shift in the wing zero-lift angle of attack.

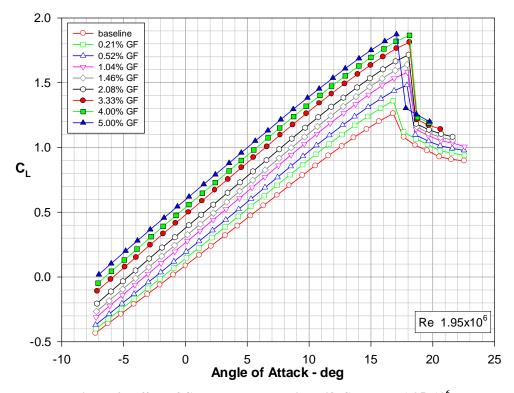


Figure 4. Effect of Gurney Flaps on Wing Lift Curve, Re 1.95x10<sup>6</sup>

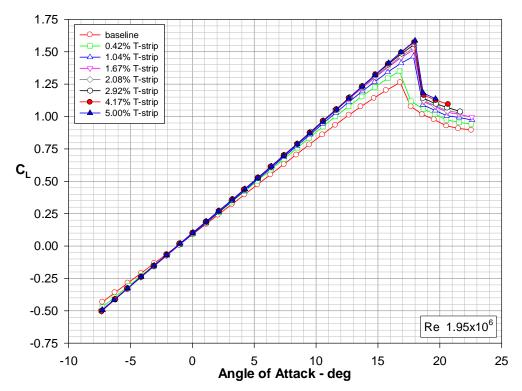


Figure 5. Effect of T-Strips on Wing Lift Curve, Re 1.95x10<sup>6</sup>

The increments in zero-lift angle of attack due to Gurney flaps and T-strips are plotted versus device height in Figure 6. Data is plotted for all three Reynolds numbers tested. The larger Gurney flaps and T-strips with chords above 2% were only tested at a Reynolds number of  $1.95 \times 10^6$ . As the coefficient data indicated, Gurney flaps produced a negative shift in the wing zero-lift angle of attack and T-strips produced essentially no shift. The low Reynolds number  $(0.51 \times 10^6)$  T-strip data does show a small ( $\sim 0.4^\circ$ ) shift in  $\alpha_{OL}$ . The negative zero-lift angle of attack shift due to Gurney flaps was not linear with device height. Smaller Gurney flaps produced a disproportionately larger shift in the wing zero-lift angle of attack.

The lift coefficient at  $0^{\circ}$  angle of attack ( $C_{Lo}$ ) increment data in Figure 7 shows a similar trend. Gurney flaps produced a positive shift in  $C_{Lo}$ , T-strips did not. Notice that the  $1.95 \times 10^6$  and  $1.02 \times 10^6$  Reynolds number Gurney flap and T-strip data agree quite well for both the  $\alpha_{OL}$  and  $C_{Lo}$  shifts. This may indicate a Reynolds number independence above  $1.02 \times 10^6$  Re.

The percentage increase in wing lift curve slope due to Gurney flaps and T-strips is shown in Figure 8. Note that lift curve slopes were taken from the coefficient data ( $C_L$  vs.  $\alpha$ ) between 0° and 5° angle of attack. The data shows that trailing edge T-strips produced a larger increase in wing lift curve slope. The increase for both was non-linear with device height. Smaller Gurney flaps and T-strips produced a disproportionately larger increase in lift curve slope. Above 2% chord, the lift curve slope increase for both devices was nearly constant at about 10%. Both trailing edge devices produced smaller increases in wing lift curve slope at a Reynolds number of  $0.51 \times 10^6$ . Below 0.5% chord, the low Reynolds number data actually showed a drop in lift curve slope when a Gurney flap or T-strip was added to the wing.

The increase in the model wing maximum lift coefficient due to Gurney flaps and T-strips is plotted in Figure 9. At each Reynolds number tested, Gurney flaps produced larger increments in wing maximum lift coefficient than trailing edge T-strips. The  $C_{Lmax}$  increments for both devices increased with increasing Reynolds number and increased device height. That increase was non-linear with device height. Notice that the  $C_{Lmax}$  increment for the 4% chord Gurney flap was quite substantial at 0.60.

Figures 6, 7 & 8 showed little change in the increments in zero-lift angle of attack, lift coefficient at 0° angle of attack and the percentage increase in wing lift curve slope when Reynolds number was increased from 1.02x10<sup>6</sup> to 1.95x10<sup>6</sup>. This was the case for both Gurney flaps and trailing edge T-strips. This agreement may indicate a Reynolds number independence for these lift curve characteristics above 1.02x10<sup>6</sup>.

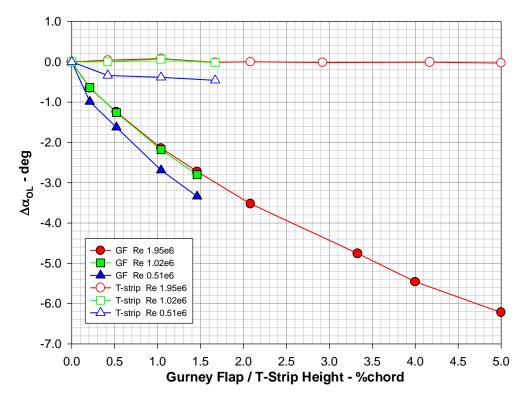


Figure 6. Zero-Lift Angle of Attack Shift Due to Gurney Flaps and T-Strips

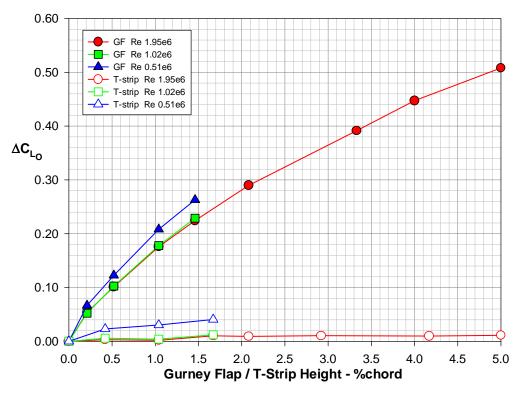


Figure 7. Lift Coefficient at  $0^{\circ}$  Angle of Attack ( $C_{Lo}$ ) Shift Due to Gurney Flaps and T-Strips

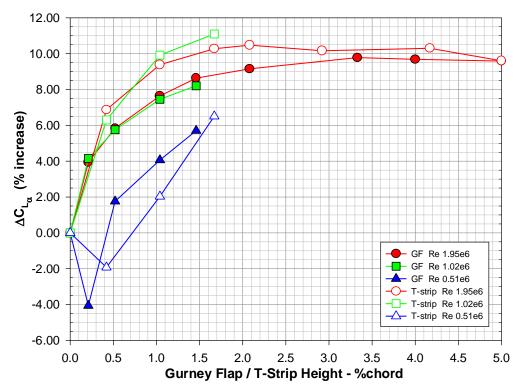


Figure 8. Wing Lift Curve Slope Increase Due to Gurney Flaps and T-Strips

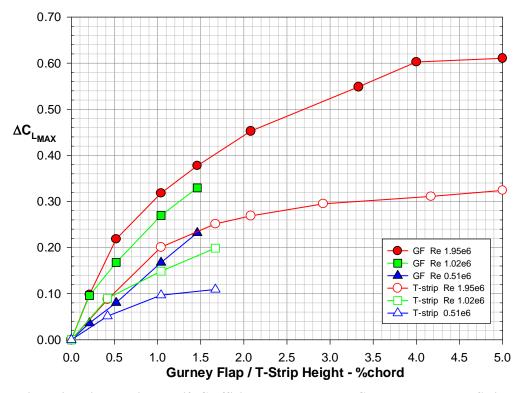


Figure 9. Wing Maximum Lift Coefficient Increase Due to Gurney Flaps and T-Strips

## B. Effect of Gurney Flaps and T-Strips on Baseline Wing Pitching Moment Curve

The effect of Gurney flaps on the baseline wing pitching moment curve is plotted in Figure 10. The effect of trailing edge T-strips on the wing pitching moment curve is plotted in Figure 11. The pitching moment coefficients are plotted versus wing lift coefficient. Plots of pitching moment coefficient versus angle of attack showed the same trends. The data presented in Figures 10 and 11 was taken at a Reynolds number of  $1.95 \times 10^6$ .

The coefficient data in Figure 10 shows that Gurney flaps produced a negative (nose-down) shift in the baseline wing pitching moment curve. Larger Gurney flaps produced larger nose-down shifts. In addition to this shift, there was also a slight negative increase in the slope of the wing pitching moment curve which increased with increasing Gurney flap height. This negative slope increase indicates a rearward shift in the wing aerodynamic center location.

Figure 11 shows that T-strips also produced a change in the slope of the pitching moment curve, and thus a rearward shift in the wing aerodynamic center location. However, T-strips produced no increment in the wing pitching moment coefficient near zero-lift.

Values of the wing zero-lift pitching moment coefficient ( $C_{Mo}$ ) and non-dimensional aerodynamic center location ( $x/c_{ac}$ ) were calculated by fitting a line through each of the  $C_M$ - $C_L$  curves in Figures 10 and 11. The equation of that line is given by:

$$C_M = C_{Mo} + C_L \left( x / c_{ref} - x / c_{ac} \right) \tag{1}$$

The y-intercept is the wing zero-lift pitching moment coefficient,  $C_{Mo}$ . The slope of the  $C_M$ - $C_L$  curve is equal to the distance between the moment reference center ( $x/c_{ref}$ ) and the wing aerodynamic center ( $x/c_{ac}$ ). For this test, the moment reference center was the wing 25% chord location. If the wing aerodynamic center is forward of the moment reference center at 25% chord, then the slope of the  $C_M$ - $C_L$  curve would be positive. The slope of the pitching moment curve is negative when the wing aerodynamic center is aft of the 25% chord moment reference center location. A least squares (linear) fit of each of the  $C_M$ - $C_L$  curves was made between a lift coefficient of 0 and a lift coefficient of 0.5. Equation 1 was then used to calculate  $C_{Mo}$  and the wing aerodynamic center location for each of the Gurney flap and T-strip pitching moment curves. Note that the baseline wing aerodynamic center was located at 23.6% chord.

The increments in wing zero-lift pitching moment coefficient due to Gurney flaps and T-strips are plotted in Figure 12 as a function of device height. Gurney flaps produced an increment in  $C_{Mo}$  which increased with increasing flap height. The increments were non-linear with height, smaller Gurney flaps producing a disproportionately larger increase in  $C_{Mo}$ . T-strips produced essentially no change in the wing zero-lift pitching moment coefficient for the higher Reynolds number test data. However, Figure 12 does show a small  $C_{Mo}$  shift in the low Reynolds number  $(0.51 \times 10^6)$  data due to the addition of trailing edge T-strips. The agreement between the  $1.95 \times 10^6$  Re and  $1.02 \times 10^6$  Re curves for both Gurney flaps and T-strips may indicate a Reynolds number independence above  $1.02 \times 10^6$  Re.

Figure 13 shows that Gurney flaps and T-strips both caused a rearward shift in the wing aerodynamic center location. This rearward shift increased with increasing device height. However, this increase was not linear with device height. Smaller Gurney flaps and T-strips causing a disproportionately larger rearward shift in the wing aerodynamic center location. The shift for the  $1.95 \times 10^6$  Re and  $1.02 \times 10^6$  Re curves agree for both Gurney flaps and T-strips. This may indicate a Reynolds number independence above  $1.02 \times 10^6$  Re. The low Reynolds number data  $(0.51 \times 10^6)$  Re) shows a small forward movement of the wing aerodynamic center for device heights below 0.5% chord. For larger device heights, the aerodynamic center shift was again rearward for the low Reynolds number data.

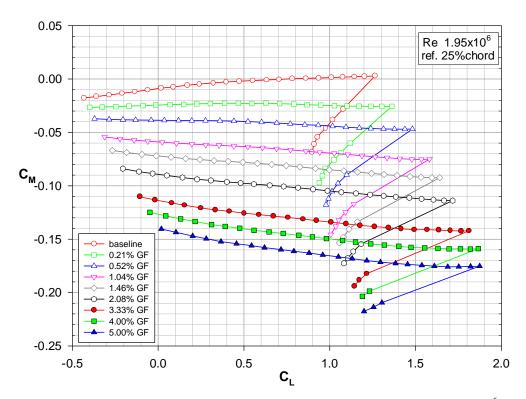


Figure 10. Effect of Gurney Flaps on Wing Pitching Moment Curve, Re 1.95x10<sup>6</sup>

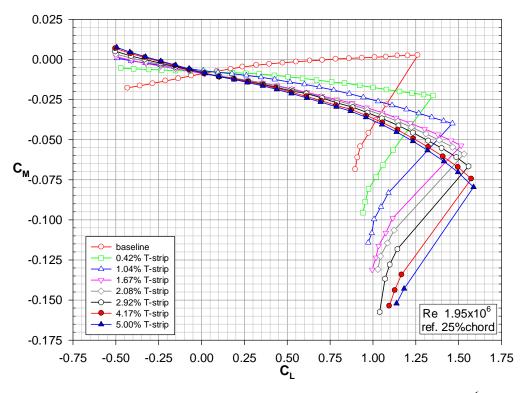


Figure 11. Effect of T-Strips on Wing Pitching Moment Curve, Re 1.95x10<sup>6</sup>

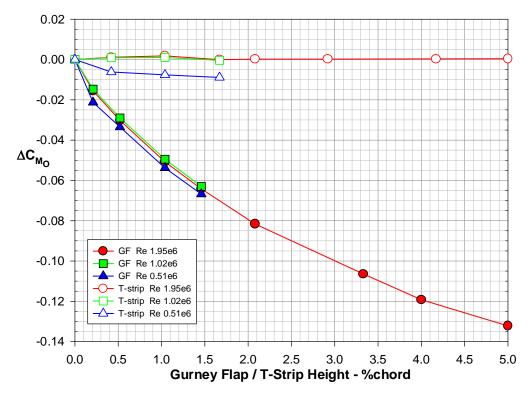


Figure 12. Zero-Lift Pitching Moment Shift Due to Gurney Flaps and T-Strips

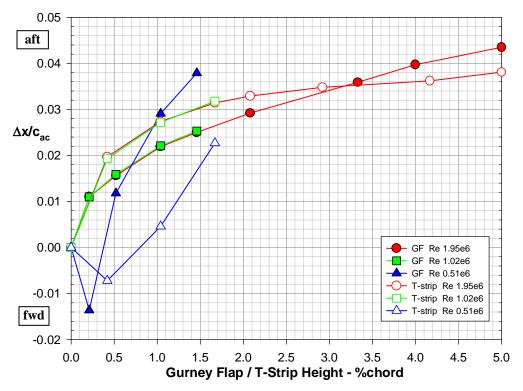


Figure 13. Wing Aerodynamic Center Shift Due to Gurney Flaps and T-Strips (Baseline wing  $x/c_{ac}$  at 0.236 chord)

## C. Effect of Gurney Flaps and T-Strips on Baseline Wing Drag Polar

Drag polars ( $C_D$  vs.  $C_L$ ) are plotted for the baseline wing equipped with Gurney flaps in Figure 14 and the baseline wing equipped with trailing edge T-strips in Figure 15. The data contained in both plots was taken at a Reynolds number of  $1.95 \times 10^6$ . As expected, the addition of Gurney flaps and T-strips to the baseline wing produced a drag increment which shifted the polar to the right. The lift curve data showed that Gurney flaps and T-strips also increased the wing maximum lift coefficient. This increase extends the drag polar to higher lift coefficients, before the non-linear break (to higher  $C_D$ ) occurs at stall.

Drag coefficient increments at zero degrees angle of attack are plotted as a function of Gurney flap and T-strip height in Figure 16. Figure 17 shows an expanded view of the same data for device heights below 2% chord. The data in Figure 17 is presented in drag counts. One drag count is equal to a drag coefficient of 0.0001. Drag coefficient increments at zero wing lift coefficient ( $C_{Do}$ ) appear in Figure 18 as a function of Gurney flap and T-strip height. Figure 19 shows an expanded view of the same data for device heights below 2% chord.

Comparison of Figures 17 and 19 shows that Gurney flaps have higher drag increments compared to T-strips when the increments are taken at a fixed  $0^{\circ}$  angle of attack. When the increments are taken at zero lift coefficient, Gurney flaps have the lower drag increment. This apparent drag decrease is due to the fact that Gurney flaps also produce an increment in wing  $C_L$ , and thus shift the drag polar ( $C_D$  vs.  $C_L$ ) upward. At a lift coefficient of zero, the wing with the Gurney flap is operating at a lower (negative) angle of attack and thus has a lower drag increment than the same wing/Gurney flap combination at  $0^{\circ}$  angle of attack.

Figures 18 and 19 show that the zero-lift drag coefficient increment ( $\Delta C_{Do}$ ) due to Gurney flaps and trailing edge T-strips is not linear with device height. The larger flaps produced a disproportionately larger increase in drag. The 5% chord T-strip added 461 drag counts to the baseline wing, a 472% increase in drag. Flaps below 0.5% chord had much lower drag coefficient increments, on the order of 15 counts and less. The data also shows that the drag coefficient increment due to Gurney flaps and T-strips does not appear to be a strong function of Reynolds number. Scatter at a given device height is on the order of 5 drag counts ( $\Delta C_{Do}$ ), with no clear Reynolds number trend emerging from the data.

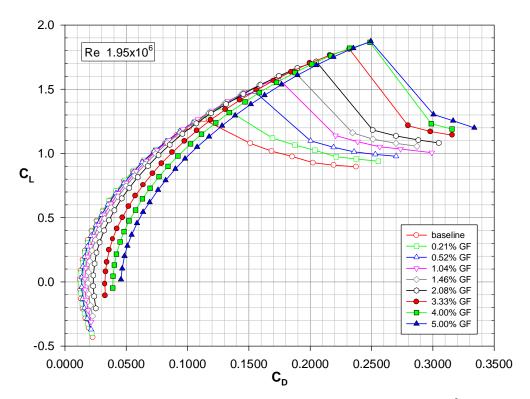


Figure 14. Effect of Gurney Flaps on Wing Drag Polar, Re 1.95x10<sup>6</sup>

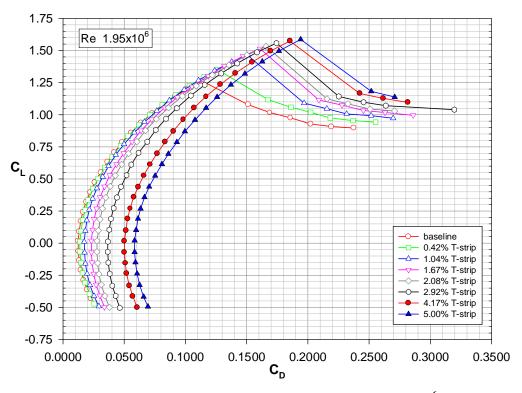


Figure 15. Effect of T-Strips on Wing Drag Polar, Re 1.95x10<sup>6</sup>

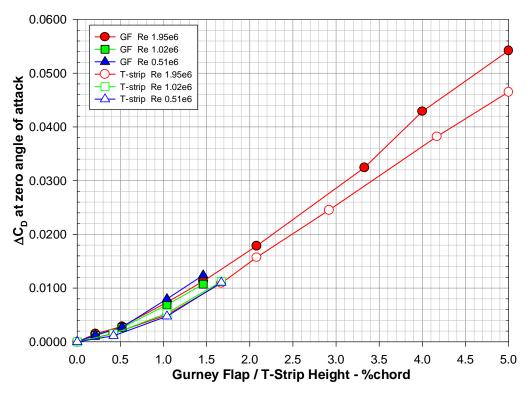


Figure 16. Drag Coefficient Increment at Zero Degrees Angle of Attack

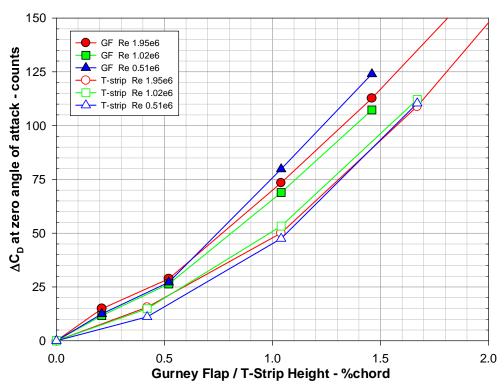


Figure 17. Drag Coefficient Increment at Zero Degrees Angle of Attack (Expanded View of the Data Presented in Figure 16)

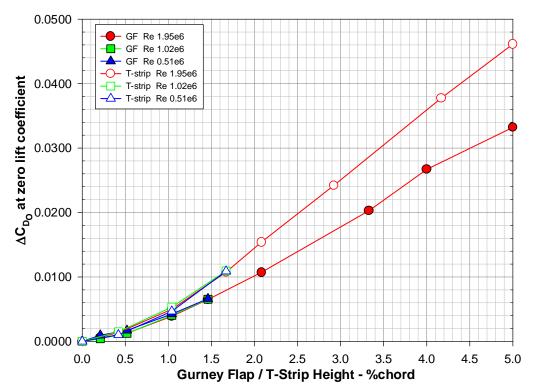


Figure 18. Drag Coefficient Increment at Zero Lift Coefficient

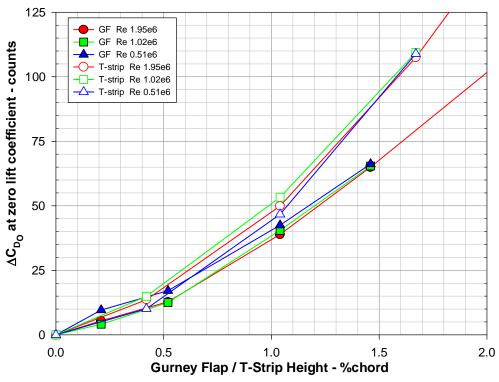


Figure 19. Drag Coefficient Increment at Zero Lift Coefficient (Expanded View of the Data Presented in Figure 18)

## D. Trailing Edge T-Strip Drag Reduction

An effort was made to reduce the drag of the 1.67% chord T-strip by attaching an aft facing angle to its rear face. The rear facing angle created a 1.04% chord extension centered on the wing trailing edge between the upper and lower angles of the T-strip. The arrangement is pictured in Figure 20. The hope was that the rear facing angle would act like a splitter plate, changing the structure of the separation aft of the T-strip and possibly reducing its drag increment.

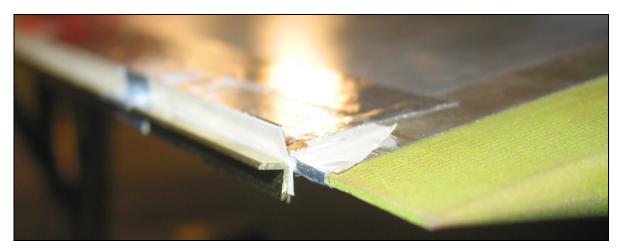


Figure 20. Splitter Plate Attached to Rear Face of 1.67% Chord T-Strip

The addition of the splitter caused only small changes to the wing lift and pitching moment curves. However, the drag polars in Figure 21 show that the splitter reduced the wing drag coefficient at zero lift by 14 drag counts. This is a rather significant 13% reduction in the drag increment ( $\Delta C_{Do}$ ) of the 1.67% T-strip. The Figure also shows that the drag benefit of the splitter dropped with increasing wing lift coefficient. At a wing lift coefficient of 0.6 and above, the drag reduction due to the splitter dropped to zero.

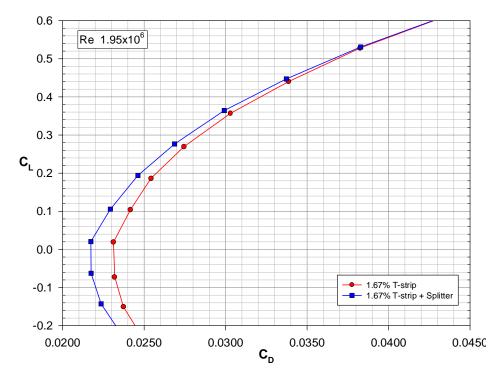


Figure 21. Effect of Splitter Plate on Drag of the 1.67% Chord T-Strip

### **IV.** Discussion of Results

Significant research has gone into understanding the mechanism by which Gurney flaps change the lifting characteristics of two-dimensional airfoils and three-dimensional wings<sup>9,15,16,17</sup>. However, little research has gone into understanding the effect of trailing edge T-strips. This despite the fact that these devices have been implemented on a number of aircraft vertical tails, sometimes with dramatic results<sup>6,11</sup>. The force and moment data from this test can be used in conjunction with previous Gurney flap flow field measurements to propose a "flow physics" based model as to how trailing edge T-strips work.

Figure 22 shows the streamline patterns aft of a 4% chord Gurney flap at 0° and 10° angle of attack. These streamlines were interpolated from LDA (Laser Doppler Anemometry) measurements of off-surface mean velocity vectors for an NACA 0012, aspect ratio 5 wing fitted with a 4% chord Gurney flap. These time-averaged measurements were taken by Jeffrey and Hurst<sup>18</sup> at the University of Southampton at a Reynolds number based on chord of approximately  $0.8 \times 10^6$ . The images in Figure 22 were reproduced with permission of the authors.

At low angles of attack, two counter-rotating vortices of similar strength are visible aft of the Gurney flap. At higher angles of attack, the vortex near the airfoil upper (suction) surface becomes dominate. The postulated effect of this flow structure is that the vortex shedding downstream of the aft face of the Gurney flap produces an increase in suction at the airfoil trailing edge. On the airfoil lower surface, at the front (windward) face of the Gurney flap, there is retarded flow and thus an increase in pressure. The combination of these two effects produces a finite pressure difference at the airfoil trailing edge leading to an increase in circulation and ultimately an increase in lift.

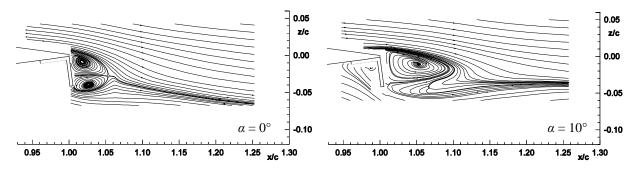


Figure 22. Interpolated Streamline Patterns Aft of a 4% Chord Gurney Flap 18

One could assume that the vortex structure aft of a trailing edge T-strip would be similar to that of a Gurney flap. However, the vortex structure would be shifted upward because the T-strip has both an upper and lower leg. At zero angle of attack for a symmetric airfoil, or at the zero-lift angle of attack for a cambered airfoil, the two downstream counter-rotating vortices would be centered at the airfoil trailing edge, as sketched in Figure 23a. There would also be a region of recirculating flow at the front face of each leg of the T-strip. So, at the tip of each leg there would be an accelerated flow and at the front face a region of retarded flow. The pattern would be symmetric about the airfoil trailing edge centerline. The net result of this vortex structure would be a zero pressure difference between the upper and lower surfaces at the airfoil trailing edge, the upper half of the T effectively canceling the effect of the lower half. In terms of total force and moment, there would be no increment in lift or pitching moment. However, there would be an increase in drag due to the retarded flow at the windward face of each leg of the T-strip.

The upper vortex aft of the T-strip would become progressively more dominate as the airfoil angle of attack is increased, as sketched in Figure 23b. The downstream vortex and the retarded flow at the forward (windward) face of the lower T-strip leg would once again set up a finite pressure difference at the airfoil trailing edge, increasing total circulation and ultimately increasing lift. This proposed flow structure would result in an incremental "Gurney flap" effect as angle of attack was increased. At zero angle of attack there would be no increment in lift or pitching moment because the flow field is symmetric. As angle of attack is increased, the increments in lift and pitching moment would increase. The net result would be the increased lift and pitching moment curve slopes observed in the test data, with no shift in the zero-lift angle of attack or the pitching moment coefficient at zero-lift.

The proposed trailing vortex structure sketched in Figure 23b would be displaced upward compared to the Gurney flap (Figure 22,  $\alpha = 10^{\circ}$ ) because the T-strip has both an upper and lower leg. This vertical shift, and the retarded flow at the forward face of the upper leg of the T-strip, would tend to limit the increase in circulation (lift) to something less than that achieved with a Gurney flap of the same height. The maximum lift coefficient increment

data presented in Figure 9 shows this to be the case. T-strips consistently produce a  $\Delta C_{Lmax}$  less than the same size Gurney flap at each of the Reynolds numbers tested. In fact, for T-strips less than 1.5% chord, the  $\Delta C_{Lmax}$  increment is approximately equal to the increment provided by a Gurney flap of half the height. This suggests that the bottom leg of the T-strip provides the majority of the circulation (lift) increase observed in the data.

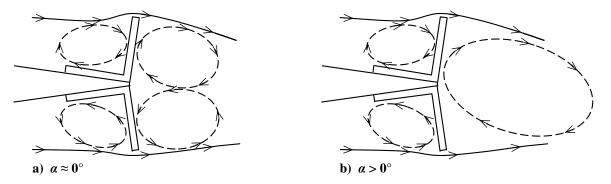


Figure 23. Hypothesized Flow Structure at the Trailing Edge of an Airfoil Equipped with a T-Strip

#### V. Conclusion

A wind tunnel test was conducted on an aspect ratio 6 wing equipped with Gurney flaps and T-strips of various heights. Results showed that Gurney flaps produced a positive increment in lift coefficient, a negative shift in the zero-lift angle of attack, and an increase in the wing maximum lift coefficient. T-strips produced an increase in the slope of the lift curve and an increase in maximum lift coefficient, but produced no shift in the wing zero-lift angle of attack. Gurney flaps produced a negative (nose-down) shift in the pitching moment curve and a rearward shift in the aerodynamic center. T-strips also produced a rearward shift in the aerodynamic center, but produced no increment in the pitching moment coefficient near zero lift. Both devices produced a drag increment that was non-linear with device height, larger Gurney flaps and T-strips producing a disproportionately larger drag increment.

The Gurney flap data from this test shows the same trends as previous tests<sup>7-10</sup>. The contribution here is a more complete data set collected for a range of Gurney flap heights at three Reynolds numbers.

Generally, T-strips have been used during developmental flight test as simple add-on "fixes" to improve the performance of existing aircraft vertical tails<sup>6,11</sup>. Despite being found on a number of aircraft, very little T-strip wind tunnel data exists in the literature<sup>12</sup>. Sizing and placement have usually been done through a costly trial-and-error process during flight test. This test was meant to expand the data base of available T-strip data, so these devices could be sized earlier in the design process. This tunnel data was also used to propose a "flow physics" based model to help understand how trailing edge T-strips work.

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